

DYNAMIC MONOPSONY WITH LARGE FIRMS AND NONCOMPETES

Axel Gottfries¹ Gregor Jarosch²

¹University of Edinburgh

²Duke University

FTC Micro Conference, 11/14/24

twofold contribution

- ① develop a **generalized job ladder** framework with wage posting
 - ▶ rich and flexible, yet **tractable**
 - ▶ natural laboratory for **labor mobility** themes
- ② application to **noncompete agreements**
 - ▶ **theoretical**: can sharply suppress wages
 - ▶ **quantitative**: blanket ban in US, compute wage gains depending on local labor market features

framework for anti-competitive labor market practices

- ▶ frictional labor market with **wage posting** and **turnover** due to on-the-job search (Burdett-Mortensen (98))
- ▶ several new features:
 - ① **large** employers
 - ▶ can speak to concentration, mergers, ...
 - ② **decreasing returns**
 - ▶ can endogenize size and market structure
 - ③ market-level **product demand** curve (two-sided market power)
 - ▶ less restrictive, wider range of cases
 - ④ **hiring cost**, rather than vacancy cost
 - ▶ more tractable (and relevant)
- ▶ natural lab for competition issues related to worker mobility and turnover

assessing non-competes

1 impact of noncompetes on the labor market

- ▶ can sharply depress wages when wide-spread, **unraveling competition**
- ▶ strong **spillovers** to other firms
- ▶ **misallocation** of workers across firms
- ▶ **welfare** impact ambiguous since competition via turnover is inefficient

2 quantitative impact of noncompetes on wages

- ▶ large when
 - ▶ market is concentrated
 - ▶ turnover costs are high
 - ▶ product demand is inelastic

3 measurement of labor market competition

- ▶ careful with interpretation of
 - ▶ cross firm wage differentials for impact of noncompetes
 - ▶ quit elasticities and mark-downs for labor market competitiveness

- ▶ **modern/dynamic** monopsony (Burdett-Mortensen (98), Manning (03, 11,...), Dube et al (19,20))
- ▶ **neoclassical** monopsony (Robinson (33), Card et al (16), Berger et al (22))
- ▶ **size** and market structure with frictions: Jarosch et al. (23)
- ▶ **non-competes** in a frictional setting w/ bargaining: Shi (22)

model (w/o noncompetes)

standard pieces: random search, on-the-job-search, posted wages (BM)

- ▶ relative search efficiency of employed s
- ▶ firms **commit** to pay posted wage
- ▶ may post **mix** of wages, cdf $F_j(w)$
- ▶ workers **become unemployed** at rate δ , then receive flow utility b
- ▶ choose a **reservation wage**, otherwise just float up the job ladder
- ▶ cont. time, discount rate r
- ▶ restrict to stationary equilibria

not-so-standard pieces

- ▶ hiring technology: firms pay a cost c per hire
 - ▶ always obtain desired size, no vacancy cost
 - ▶ but lose workers to unemployment and competitors, so costly turnover
 - ▶ workers contact firm i with endogenous frequency ψ_i ($s\psi_i$)
- ▶ granular market structure: M large firms
- ▶ d.r.s: firm i with employment N produces homogeneous output $x_i N^\alpha$
- ▶ reverse-engineer downward sloping market-level product demand

firm problem in words

- ▶ firm choose
 - ▶ intensity at which workers contact their job openings, ψ_i
 - ▶ distribution of posted wages $F_i(w)$
- ▶ to maximize revenue net of wage bill and turnover cost
- ▶ taking as given (standard Nash)
 - ▶ the reservation wage
 - ▶ each other's actions

- ▶ despite added dimensions remains highly tractable
 - ▶ w/ symmetric firms: can solve model by hand
 - ▶ w/ heterogeneous firms (x_i, c_i) : simple algorithms to construct equilibria

concentration and wages

- ▶ more concentration can, but need not hurt workers
 - ▶ PE: firms do not compete with themselves, fewer competitors lower pay
 - ▶ GE: lower turnover drives up labor demand

equilibrium markdowns

- ▶ $m \equiv$ marginal revenue product of labor
- ▶ \Rightarrow optimal hiring + user cost equated across all wages posted:

$$\frac{m - w}{r + \delta + \sum_{j \neq i} s \psi_j (1 - F_j(w))} = c_i$$

- ▶ Mark-down m/w is endogenous and covers turnover cost
- ▶ must rise if turnover (competition) rises

quit elasticity

- ▶ quit elasticity often used as **measure of labor market competitiveness** (Manning 2003)
 - ▶ logic: competitive labor market, can hardly deviate from prevailing wage
 - ▶ but consider what happens as $\lambda \rightarrow 0$
- ▶ here, elasticity is **endogenous** and **often misleading** indicator of competitiveness, worker well-being, efficiency,..
- ▶ no “**neoclassical**” **mapping** to
 - 1 allocative efficiency / underemployment
 - 2 distributional outcomes

non-competes: theory

some history

- ▶ Stigler (61,62) & McCall (1970): Study repeated sampling with dispersed prices/wages, characterize reservation values
- ▶ Diamond (1971): Can't sustain dispersed prices for homogeneous products/workers in equilibrium (“**Diamond Paradox**”)
- ▶ Burdett & Mortensen (98): Can't sustain *any* mass in job offer distribution in a job ladder model.
Why? Deviation, slightly above \Rightarrow **Competition**

adding non-competes to the model

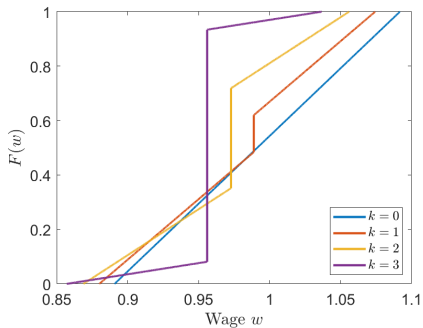
- ▶ model non-competes as **take-it-or-leave-it** offer that stipulates
 - ① permanent **wage** offer w_c
 - ② worker **commits not to leave** (job-to-job)

what do non-compete jobs offer to workers

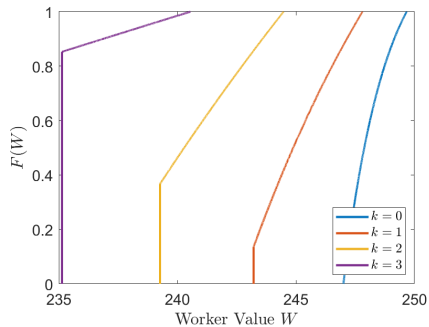
- ▶ **key result:** all non-competes give same *value* as regular job paying w_r
 - ▶ reason: no need to worry about competition
 - ▶ now have mass at the bottom rung of job ladder \Rightarrow spillovers
 - ▶ firms that can offer non-competes all post w_c
 - ▶ generally, $w_c > w_r$ (same value, but lose option value, so compensating differential)
 - ▶ cross-firm wage differentials misleading re impact of non-competes

impact of non-competes

A. Wage offer distribution



B. Value offer distribution



Diamond restored

- ▶ when all firms can offer non-compete: $w_c = w_r = b$

⇒ illustrates that non-competes, when wide-spread, can sharply depress wages by eroding job-ladder competition

non-competes — welfare

- ▶ two **opposing forces** re welfare
 - ① show that firms w/ noncompetes have more employment, but same d.r.s. production function \Rightarrow **misallocation**
 - ② however, **competition here is wasteful**
 - ▶ inefficient worker churn yields wage gains but socially costly
- ▶ a priori unclear whether a ban yields **efficiency** gains
 - ▶ numerically, get ban slightly reduces welfare
- ▶ caveat
 - ▶ misallocation (workers \rightarrow firms) if job ladder improves allocation (here: doesn't), then additional costs of shutting it down

quantitative analysis of noncompetes

calibration strategy

- ▶ fairly **standard job ladder** model to calibrate (EU, EE, UE,..)
- ▶ set $\alpha = .64$
- ▶ target hiring cost $\frac{c}{E[w]}$ to **2 monthly wages**.
- ▶ remainder: x_i, M, η set separate for each application.

- ▶ calibrate/validate via empirical studies
- ① Prager & Schmitt (21) study **hospital mergers**
 - ▶ pick up response of wages and employment
 - ▶ comment: framework can straightforwardly be used for **merger analysis**
- ② Lipsitz & Starr (20) study **ban of noncompetes** in Oregon
 - ▶ pick up response of wages, turnover, spillovers

main application: banning non-competes

- ▶ FTC: 20% of US workforce under non-compete, proposed blanket ban
 - ▶ many state level restrictions (recently, NY), lots of discussions in Europe
- ▶ surprisingly **common for low-skilled workers** (where posting seems natural and human capital and business stealing issues seem less relevant)
- ▶ surprisingly **uniform across firm types**
- ▶ baseline calibration: set $M = 10$ (symmetric) and $k = 2$, import η from Oregon experiment
- ▶ then focus on heterogeneity across markets

baseline results: banning non-competes

	Baseline
Share non-comp.	0.212
$\Delta \log(E[w])$	0.04
Δu	1.198
$\Delta \log(\text{output})$	-0.008
$\Delta \text{Utility}$	-0.009
$\Delta \log(\text{jtj})$	0.354
$\Delta \log(w_{nc})$	0.067
$\Delta \log(w_{rest})$	0.032

- ▶ large wage and mobility increases
- ▶ large spillovers
- ▶ employment and output slightly down due to rise in turnover cost (misallocation channel dominated)

training cost

	Baseline	$c/E[w]=5$
Share non-comp.	0.212	0.226
$\Delta \log(E[w])$	0.04	0.05
Δu	1.198	1.594
$\Delta \log(\text{output})$	-0.008	-0.01
$\Delta \text{Utility}$	-0.009	-0.017
$\Delta \log(\text{jtj})$	0.354	0.349
$\Delta \log(w_{nc})$	0.067	0.118
$\Delta \log(w_{rest})$	0.032	0.03

- ▶ non-competes shifts rents
- ▶ more rents when training costs are high

	Baseline	$\eta = 0.5$	$\eta = 5$
Share non-comp.	0.212	0.224	0.234
$\Delta \log(E[w])$	0.04	0.019	0.001
Δu	1.198	1.592	1.965
$\Delta \log(\text{output})$	-0.008	-0.011	-0.013
$\Delta \text{Utility}$	-0.009	-0.01	-0.01
$\Delta \log(\text{jtj})$	0.354	0.345	0.335
$\Delta \log(w_{nc})$	0.067	0.046	0.027
$\Delta \log(w_{rest})$	0.032	0.011	-0.007

- ▶ banning non-competes turnover cost
- ▶ if this cannot be (partially) passed into prices, gains to workers evaporate

	Baseline	k=5	k=c/E[w]=5
Share non-comp.	0.212	0.513	0.528
$\Delta \log(E[w])$	0.04	0.113	0.168
Δu	1.198	3.208	4.602
$\Delta \log(\text{output})$	-0.008	-0.022	-0.032
$\Delta \text{Utility}$	-0.009	-0.022	-0.039
$\Delta \log(\text{jtj})$	0.354	1.066	1.018
$\Delta \log(w_{nc})$	0.067	0.126	0.198
$\Delta \log(w_{rest})$	0.032	0.1	0.136

- logic: Diamond restored

heterogeneity

- ▶ conclude with a more full blown exercise
- ▶ firms differ in productivity and hiring cost
- ▶ study case where low productivity / high productivity firms use noncompetes

	Baseline	High	Low
Share non-comp.	0.212	0.186	0.207
$\Delta \log(E[w])$	0.04	0.069	0.011
Δu	1.198	0.912	0.933
$\Delta \log(\text{output})$	-0.008	-0.007	-0.003
$\Delta \text{Utility}$	-0.009	-0.008	-0.004
$\Delta \log(\text{jtj})$	0.354	0.261	0.297
$\Delta \log(w_{nc})$	0.067	0.092	-0.028
$\Delta \log(w_{rest})$	0.032	0.064	0.019

- ▶ logic: non-competes allow firms to move to the bottom of the job ladder

banning non-competes: quantitative lessons

- 1 wage gains of about 4%
- 2 large wage gains if 1) large frictions, 2) high coverage, 3) low product demand elasticity
- 3 typically welfare down, but small losses compared with wage gains
⇒ can “protect” workers from this practice at low cost (?)

ongoing work on employer cartels

- ▶ use same framework to think about **wage-fixing** cartels
- ▶ **main finding**: outside competition determines harm and profitability.
- ▶ hence, **wage losses large / cartels more likely** when
 - ▶ market is concentrated
 - ▶ labor market has slack
 - ▶ the span of control is small
 - ▶ product demand is elastic
 - ▶ cartel also colludes in the product market

conclusion

- ▶ generalized job ladder framework (demand, production, size)
- ▶ natural laboratory to think about anti-competitive practices centered around worker mobility
- ▶ large wage gains, small welfare losses from banning non-competes

Large firms in the labor market

Large firms can, in principle, affect

① workers' actions (reservation)

- ▶ assume that workers do not observe and do not learn firms' choices so that the reservation wage is taken as fixed

② other firms' labor market actions (posted wages and contact rates)

- ▶ assume that firms simultaneously commit at time 0 → firms take other firms' actions as given

③ how other firms choices (ψ_j, F_j) map to employment N_j

- ▶ assume that firms also commit to employment and can hire at high cost from outsourcing firm outside the model

Back